

# MEASURING THE TAU YUKAWA PHASE AT THE LHC AND ILC

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Cosmology at Colliders workshop, TRIUMF  
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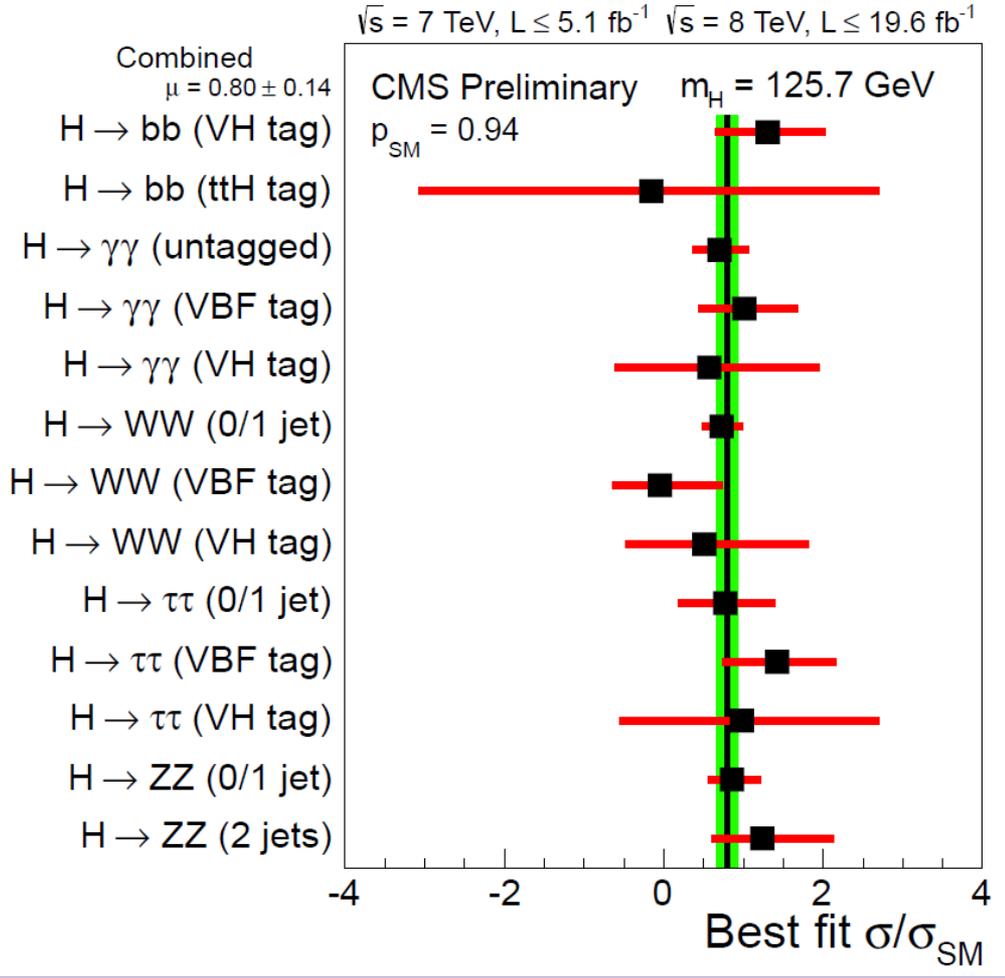
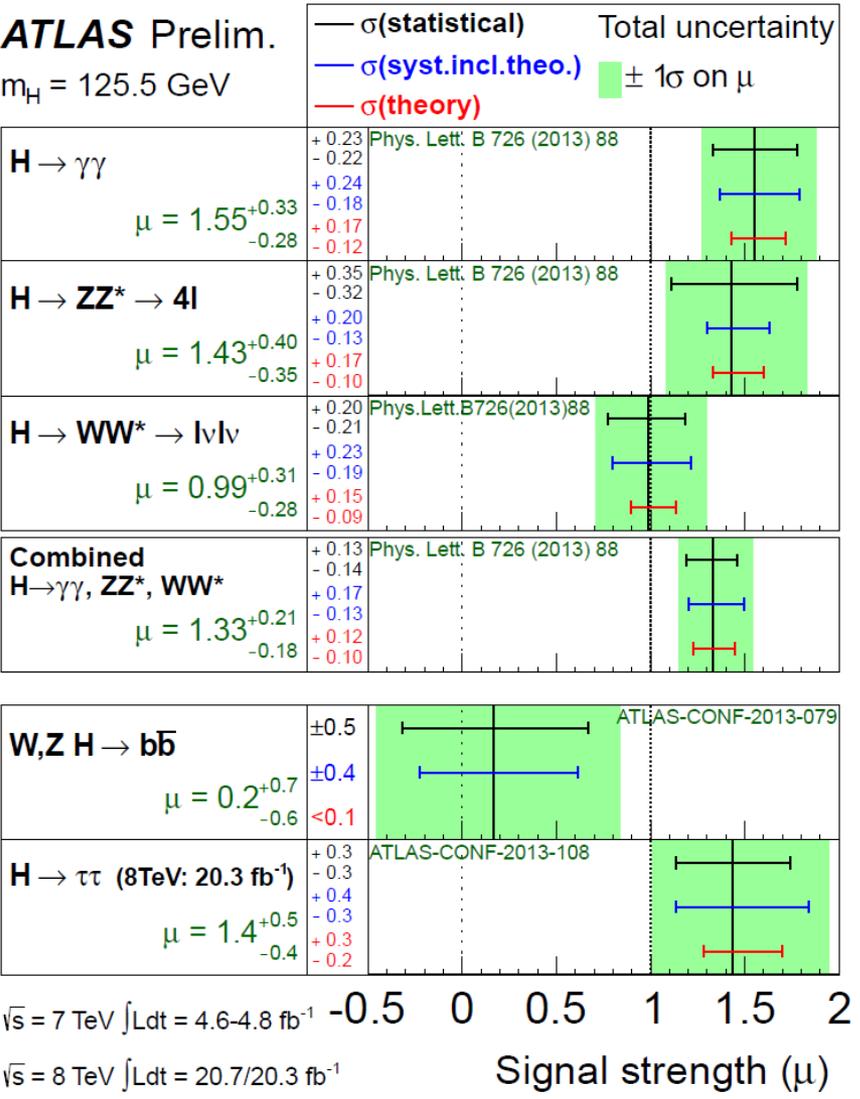
# CP and the Higgs

- Sakharov's conditions for baryogenesis motivate searches for new sources of CP violation
- A natural place to test for CP violating phases is with Higgs physics
  - scalar-pseudoscalar admixture
  - couplings to gauge bosons
  - couplings to fermions
    - [full UV models to connect any given CP phase to a baryogenesis mechanism is BTSOTW]

# Outline

- Review current status of CP tests in Higgs physics, Higgs decay to taus
- Constructing the  $\Theta$  variable
- Sensitivity studies at colliders
  - Discuss both  $e^+e^-$  machines and LHC (first proposal for an LHC measurement)
  - Comparison with previous proposals
- Summary

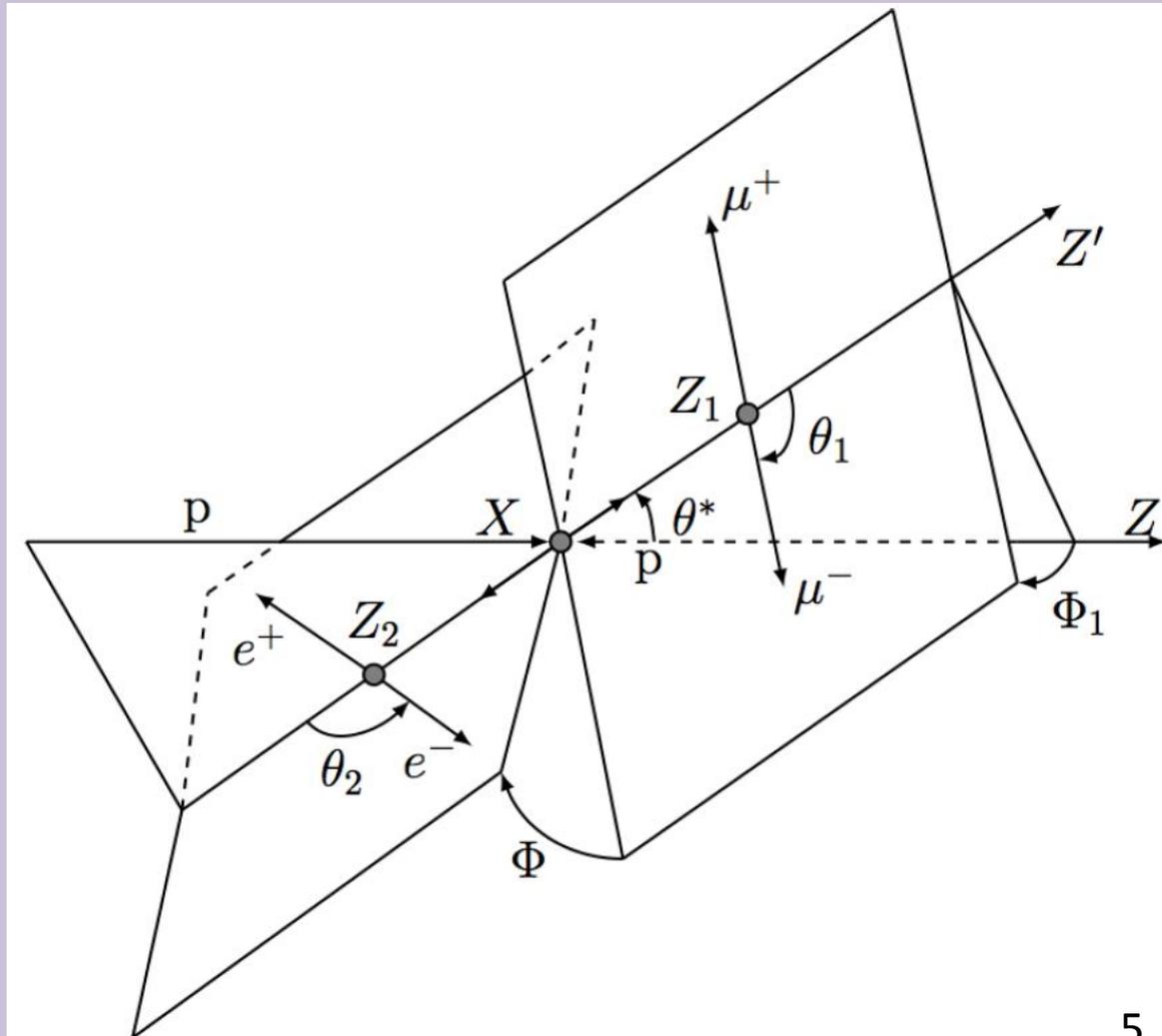
# Signal strength constraints



[Separate channel measurements cannot be combined without assumptions!]

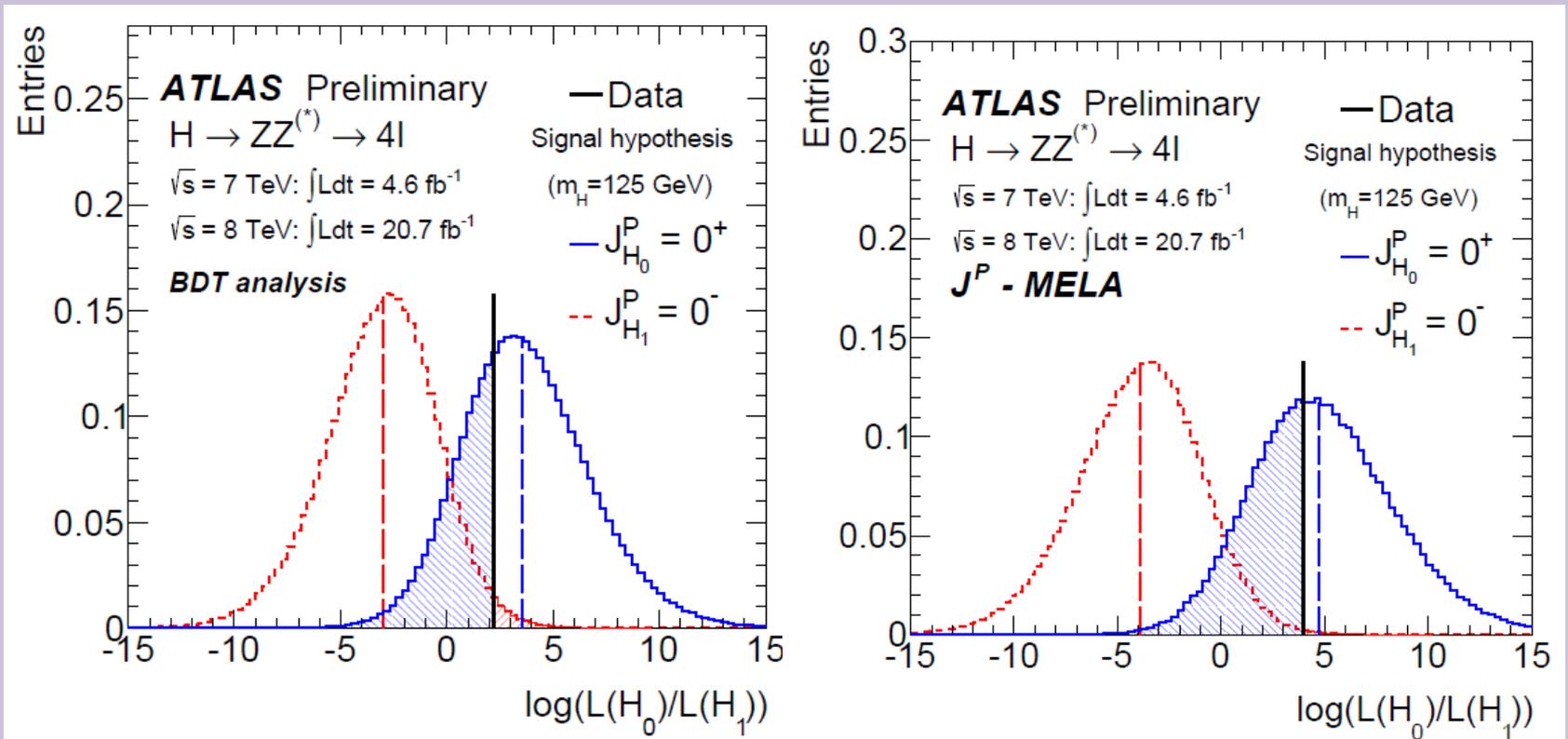
# Testing CPV in hZZ

- Measure acoplanarity angle (angle between  $Z_1$  and  $Z_2$  decay planes)



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$0^-$  excluded in favor of  $0^+$  hypothesis at 97.8% C.L.

# Testing CPV in hZZ

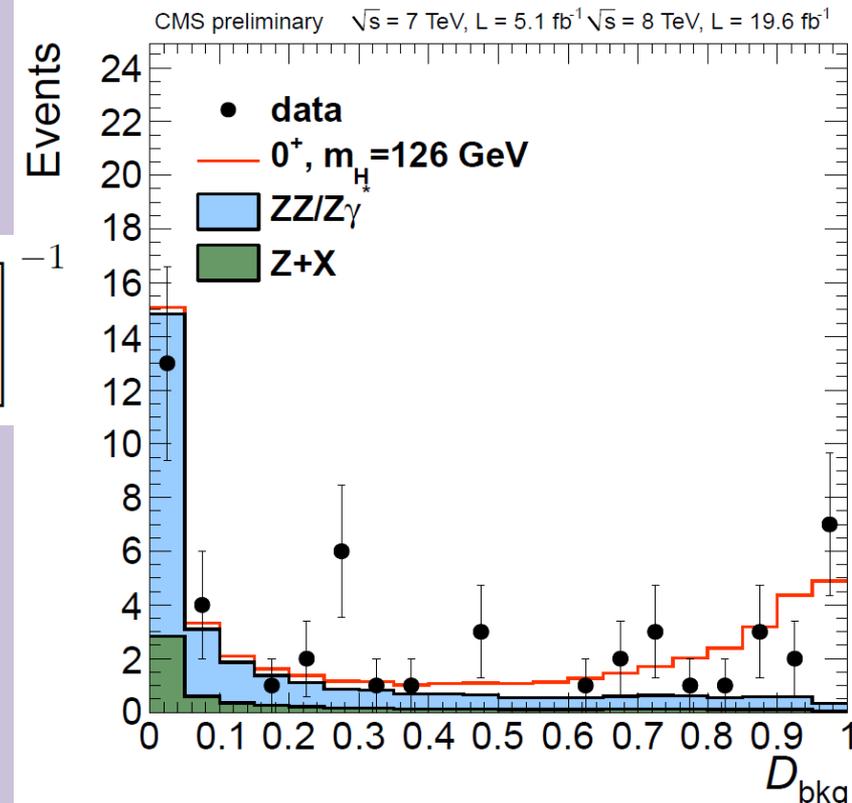
- Can test combination of  $hZ_\mu Z^\mu$  and  $hZ_{\mu\nu} \tilde{Z}^{\mu\nu}$  couplings

$$A = v^{-1} \epsilon_1^{*\mu} \epsilon_2^{*\nu} \left( a_1 g_{\mu\nu} m_H^2 + a_2 q_\mu q_\nu + a_3 \epsilon_{\mu\nu\alpha\beta} q_1^\alpha q_2^\beta \right) = A_1 + A_2 + A_3$$

$$f_{a3} = |A_3|^2 / (|A_1|^2 + |A_3|^2)$$

- Use kinematic discriminant

$$D_{JP} = \frac{\mathcal{P}_{\text{SM}}}{\mathcal{P}_{\text{SM}} + \mathcal{P}_{JP}} = \left[ 1 + \frac{\mathcal{P}_{JP}(m_{Z_1}, m_{Z_2}, \vec{\Omega} | m_{4\ell})}{\mathcal{P}_{\text{SM}}(m_{Z_1}, m_{Z_2}, \vec{\Omega} | m_{4\ell})} \right]^{-1}$$



# Testing CPV in hZZ

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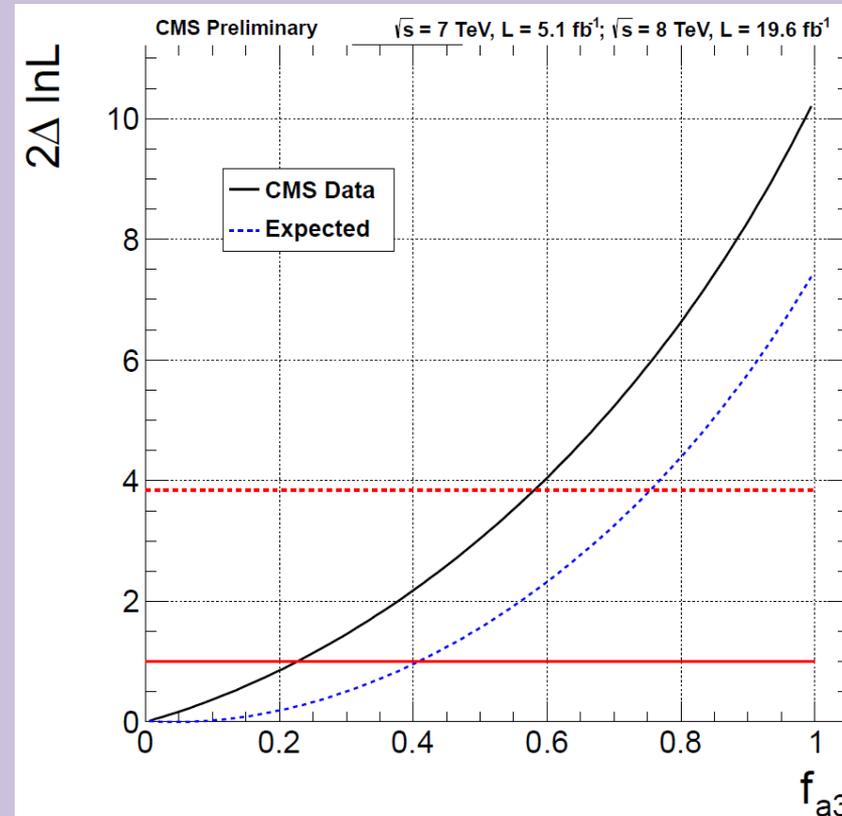
$$A = v^{-1} \epsilon_1^{*\mu} \epsilon_2^{*\nu} \left( a_1 g_{\mu\nu} m_H^2 + a_2 q_\mu q_\nu + a_3 \epsilon_{\mu\nu\alpha\beta} q_1^\alpha q_2^\beta \right) = A_1 + A_2 + A_3$$

$$f_{a3} = |A_3|^2 / (|A_1|^2 + |A_3|^2)$$

- Results in constraint

$$f_{a3} = 0.00^{+0.23}_{-0.00}$$

$$f_{a3} < 0.58 \text{ at 95\% CL.}$$

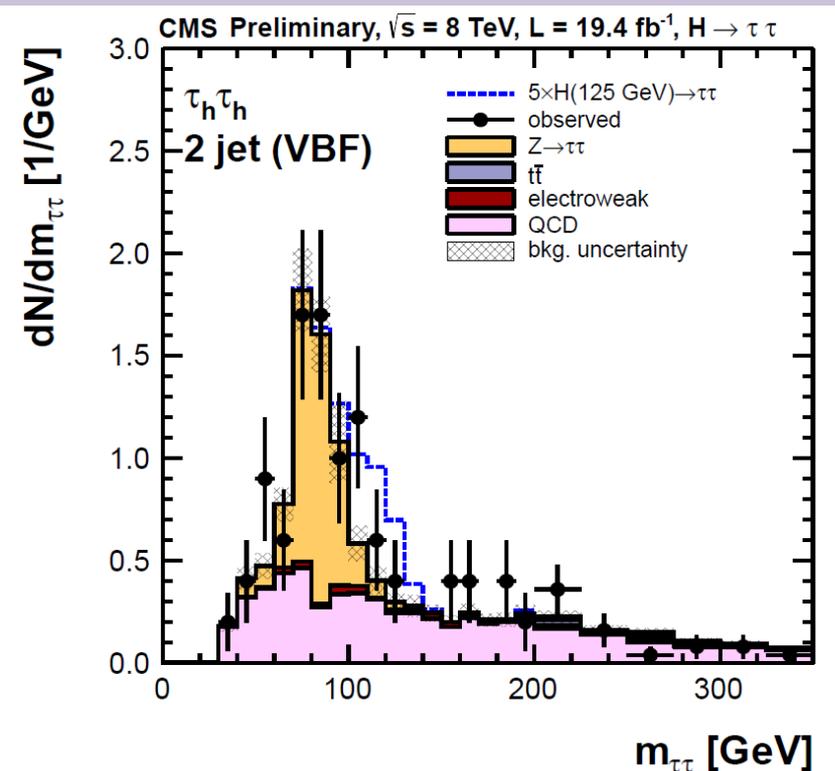
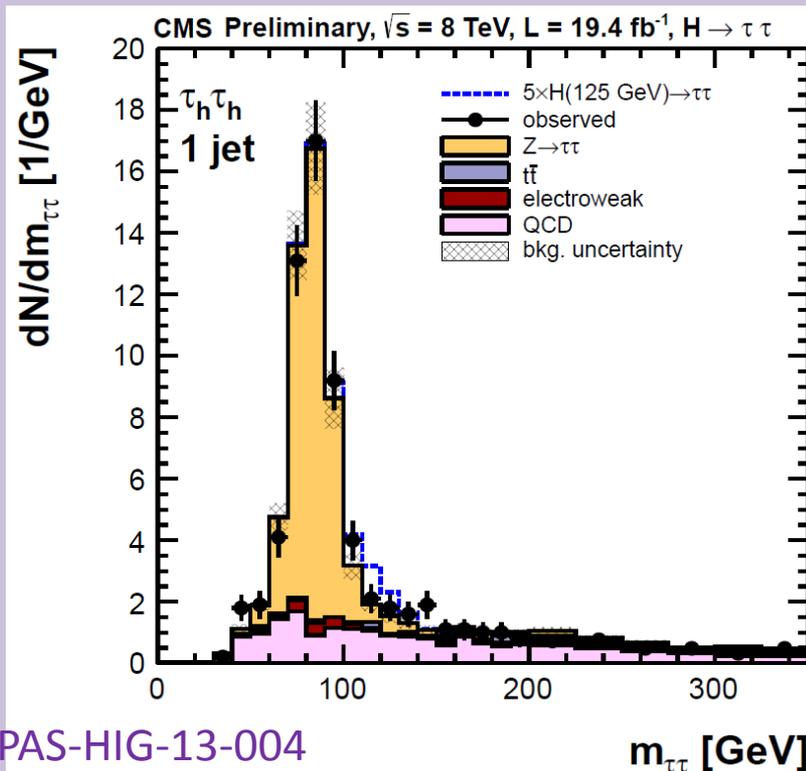


# Testing CPV in Yukawa couplings

- Source of a BSM CPV phase in SM Yukawa couplings is distinct from possible phases in the scalar potential or pseudoscalar couplings to gauge bosons
  - Motivates testing for CPV in fermionic couplings even if bosonic CPV coupling tests give null results
- The Higgs decay to taus is the most promising system for direct measurement of fermionic CPV couplings
  - Top coupling only probed via loops or ttH (tH) production
  - Bottom quark polarizations washed out by QCD

# Measuring Higgs to $\tau\tau$

- Use SVFit to reconstruct  $m_{\tau\tau}$  (creates likelihood function based on observed kinematics)
  - Anticipating the CP phase measurement, focus on the fully hadronic analysis



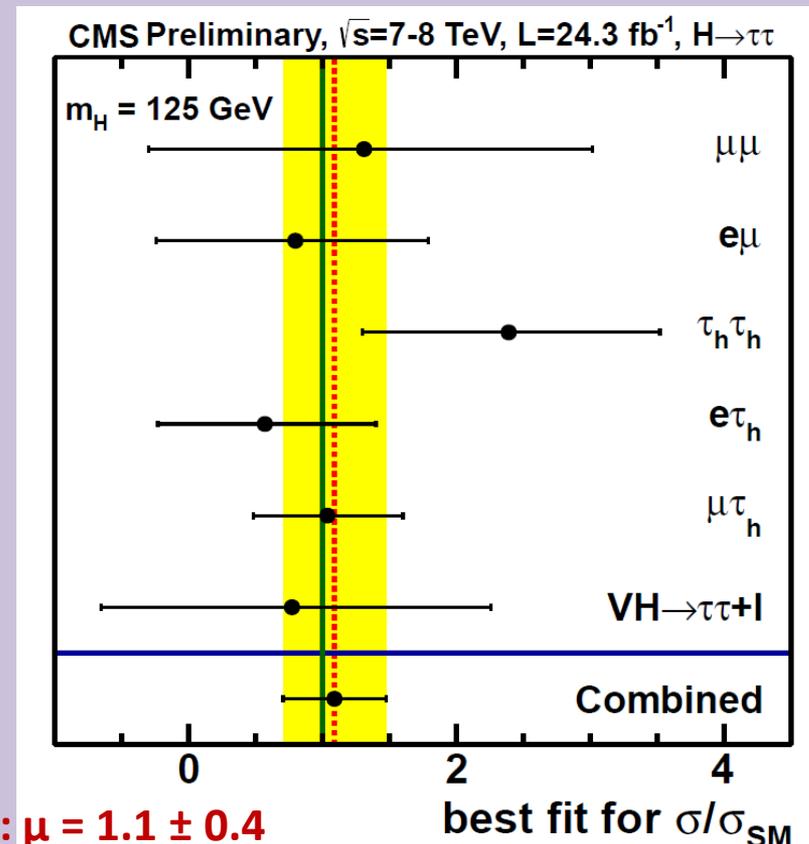
# Measuring Higgs to $\tau\tau$

- Use SVFit to reconstruct  $m_{\tau\tau}$  (creates likelihood function based on observed kinematics)
  - Anticipating the CP phase measurement, focus on the fully hadronic analysis

Process	1-Jet	VBF
$Z \rightarrow \tau\tau$	$428 \pm 90$	$47 \pm 28$
QCD	$210 \pm 31$	$61 \pm 10$
EWK	$41 \pm 9$	$4 \pm 1$
$t\bar{t}$	$29 \pm 6$	$2 \pm 2$
Total Background	$709 \pm 95$	$114 \pm 30$
$H \rightarrow \tau\tau$	$9 \pm 4$	$4 \pm 2$
Observed	718	120

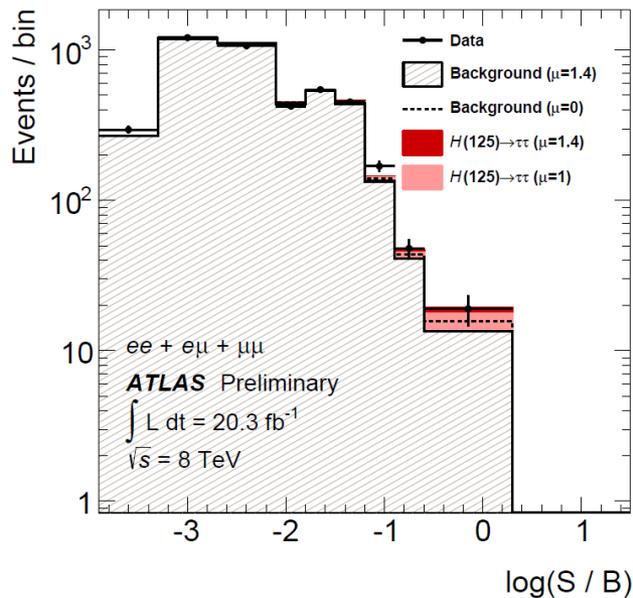
Signal Eff.

$gg \rightarrow H$	$2.52 \cdot 10^{-4}$	$4.99 \cdot 10^{-5}$
$qq \rightarrow H$	$5.93 \cdot 10^{-4}$	$1.20 \cdot 10^{-3}$
$qq \rightarrow Ht\bar{t}$ or $VH$	$9.13 \cdot 10^{-4}$	$3.59 \cdot 10^{-5}$

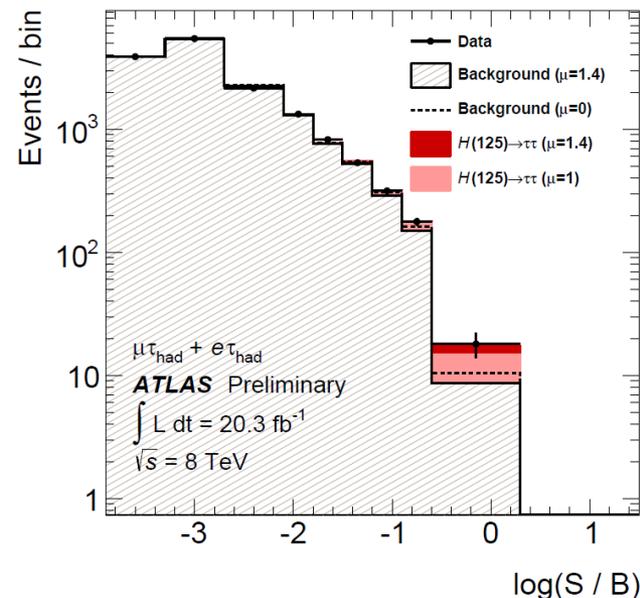


# ATLAS Update

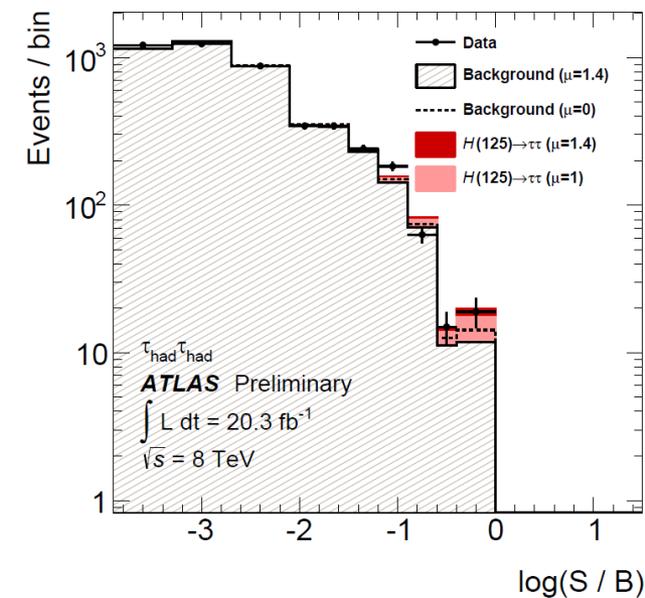
- Use BDT output to categorize events



(a)



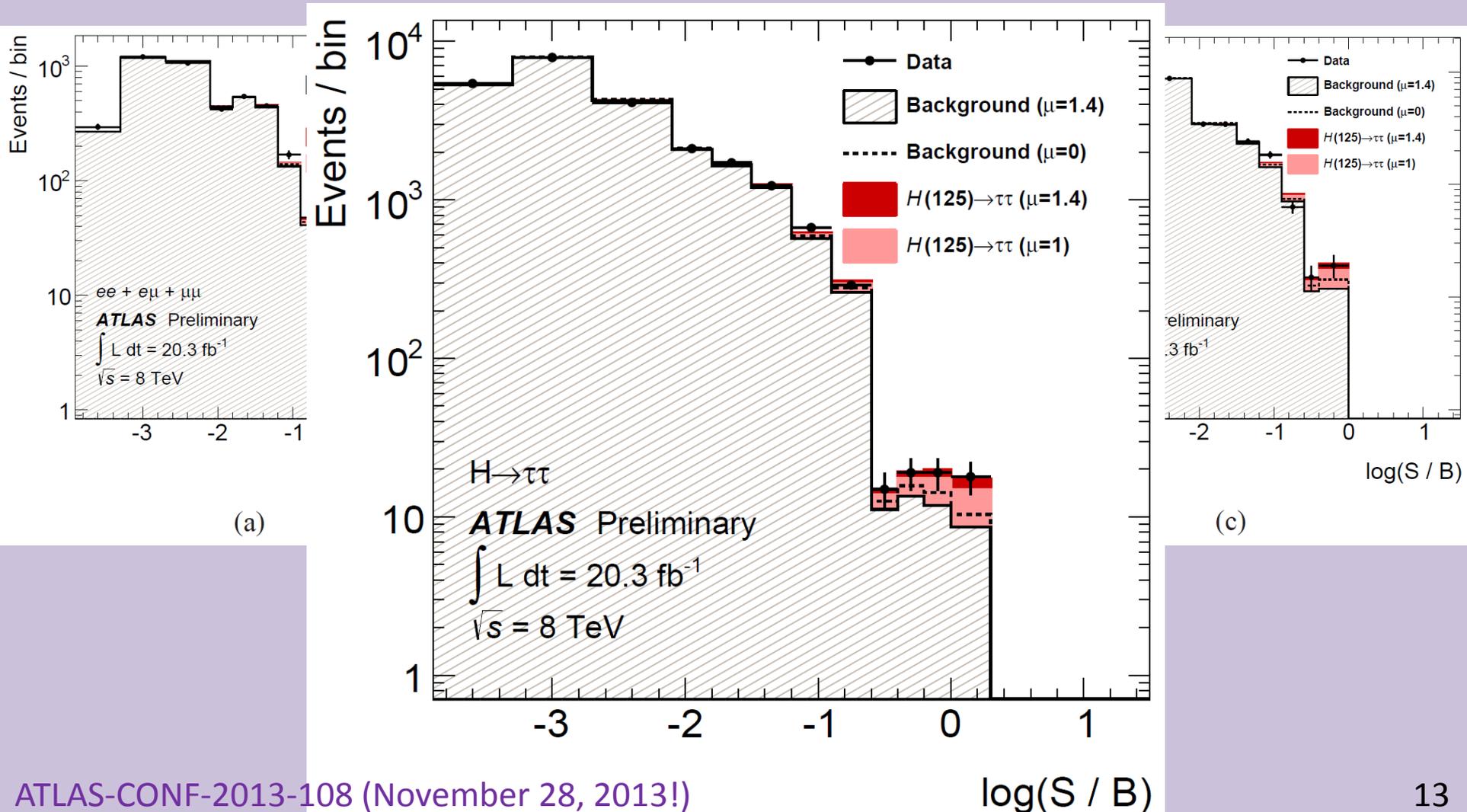
(b)



(c)

# ATLAS Update

- Use BDT output to categorize events



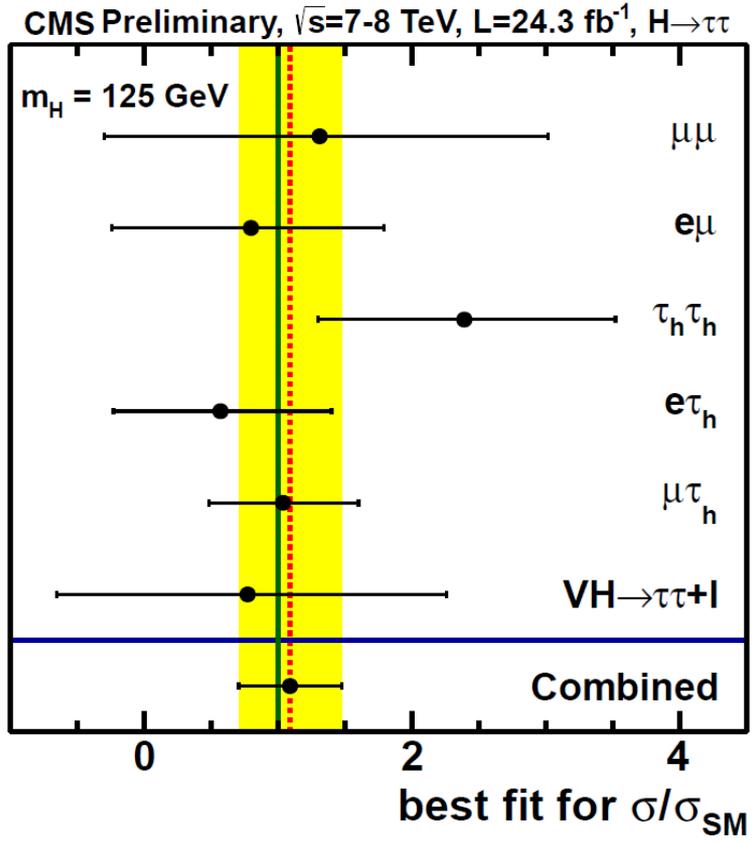
# ATLAS Update

- Focus on fully hadronic channel
  - Main backgrounds are still irreducible  $Z \rightarrow \tau\tau$  and QCD multijets

Process/Category	VBF			Boosted		
	0.85-0.9	0.9-0.95	0.95-1.0	0.85-0.9	0.9-0.95	0.95-1.0
BDT score bin edges	0.85-0.9	0.9-0.95	0.95-1.0	0.85-0.9	0.9-0.95	0.95-1.0
ggF	$0.39 \pm 0.17$	$0.35 \pm 0.16$	$2.0 \pm 0.9$	$2.2 \pm 0.8$	$2.5 \pm 1.0$	$2.3 \pm 0.9$
VBF	$0.57 \pm 0.18$	$0.72 \pm 0.22$	$5.9 \pm 1.8$	$0.55 \pm 0.17$	$0.61 \pm 0.19$	$0.57 \pm 0.17$
WH	$< 0.05$	$< 0.05$	$< 0.05$	$0.34 \pm 0.11$	$0.40 \pm 0.12$	$0.44 \pm 0.14$
ZH	$< 0.05$	$< 0.05$	$< 0.05$	$0.22 \pm 0.07$	$0.22 \pm 0.07$	$0.22 \pm 0.07$
$Z \rightarrow \tau^+\tau^-$	$3.2 \pm 0.6$	$3.4 \pm 0.7$	$5.3 \pm 1.0$	$15.7 \pm 1.7$	$12.3 \pm 1.8$	$9.7 \pm 1.6$
Multijet	$3.3 \pm 0.6$	$2.9 \pm 0.6$	$5.9 \pm 0.9$	$5.2 \pm 0.6$	$3.7 \pm 0.5$	$1.40 \pm 0.22$
Others	$0.38 \pm 0.09$	$0.49 \pm 0.12$	$0.64 \pm 0.13$	$1.49 \pm 0.27$	$2.8 \pm 0.5$	$0.07 \pm 0.02$
Total Background	$6.9 \pm 1.3$	$6.8 \pm 1.3$	$11.8 \pm 2.6$	$22.4 \pm 2.5$	$18.8 \pm 2.8$	$11.2 \pm 1.9$
Total Signal	$0.97 \pm 0.29$	$1.09 \pm 0.31$	$8.0 \pm 2.2$	$3.3 \pm 1.0$	$3.8 \pm 1.2$	$3.6 \pm 1.1$
S/B	0.14	0.16	0.67	0.15	0.2	0.32
Data	6	6	19	20	16	15

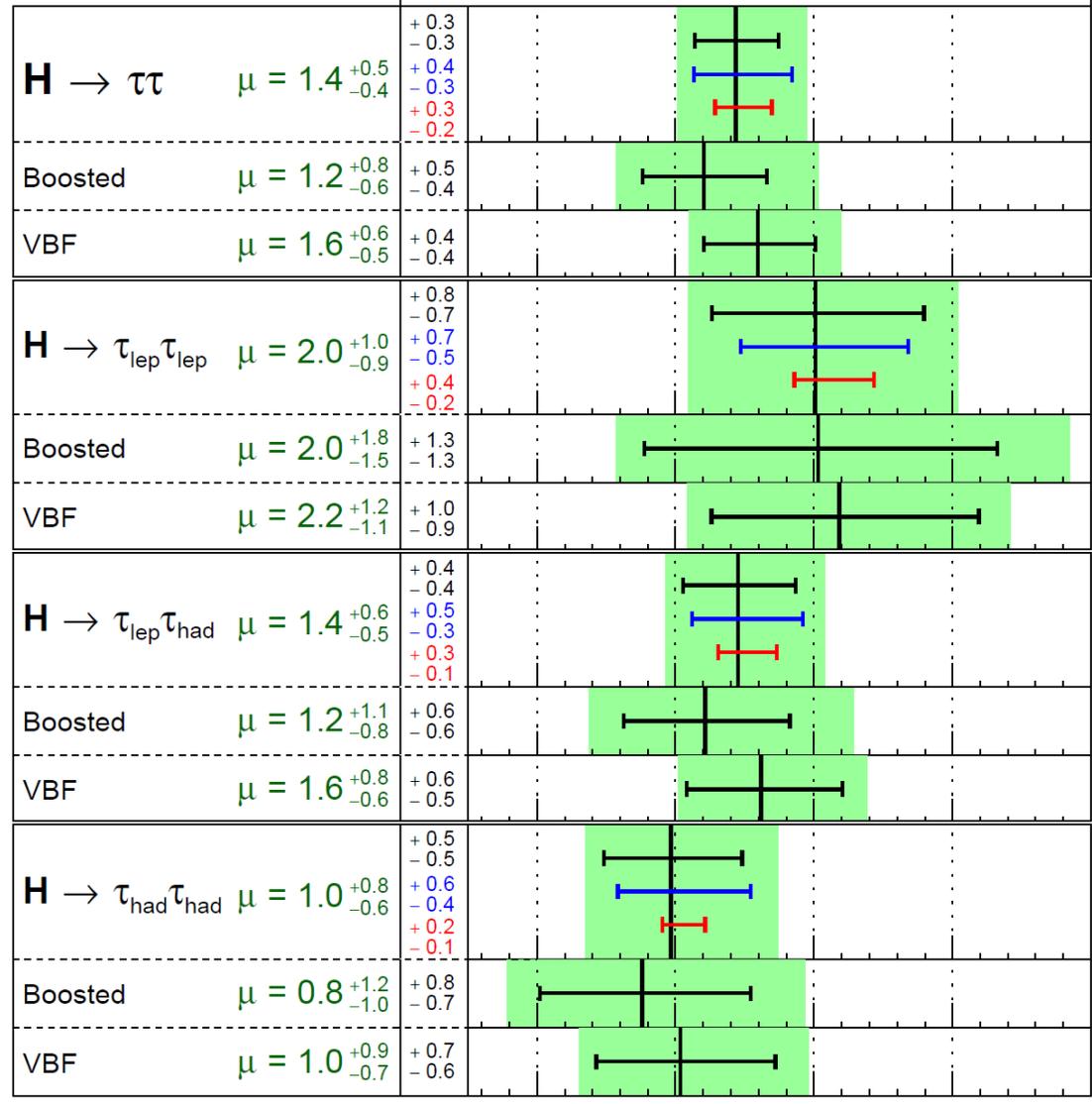
# LHC Summary

**CMS combined:  $\mu = 1.1 \pm 0.4$**



**ATLAS Prelim.**  
 $m_H = 125$  GeV

—  $\sigma(\text{statistical})$  Total uncertainty  
 —  $\sigma(\text{syst. incl. theory})$    $\pm 1\sigma$  on  $\mu$   
 —  $\sigma(\text{theory})$



$\sqrt{s} = 8$  TeV  $\int Ldt = 20.3$  fb $^{-1}$  Signal strength ( $\mu$ )

# A Tau Yukawa CPV phase

- From an EFT perspective, can readily generate a tau Yukawa phase via the addition of a dimension 6 operator

$$\mathcal{L}_{\text{eff}} \supset - \left( \alpha + \beta \frac{H^\dagger H}{\Lambda^2} \right) H \ell_{3L}^\dagger \tau_R + \text{c.c.}$$

- $\alpha$  and  $\beta$  are generally complex
- After inserting Higgs vevs, use the  $\tau_R$  redefinition to get

$$\alpha + \beta \frac{v^2}{\Lambda^2} = y_\tau^{\text{SM}} > 0,$$

- Then, the Higgs coupling to taus is  $y_\tau^{\text{SM}} + 2\beta \frac{v^2}{\Lambda^2}$

# A Tau Yukawa CPV phase

- The new phase can thus be captured by considering the Lagrangian

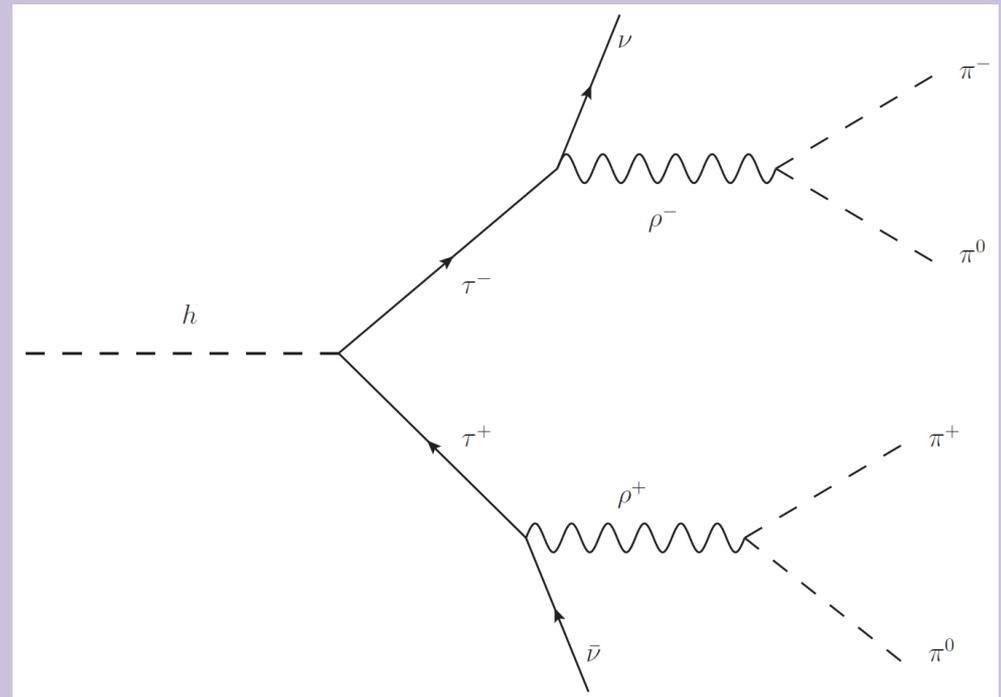
$$\begin{aligned}\mathcal{L}_{\text{pheno}} &\supset -m_\tau \bar{\tau}\tau - \frac{y_\tau}{\sqrt{2}} h \bar{\tau} (\cos \Delta + i\gamma_5 \sin \Delta) \tau \\ &= -m_\tau \bar{\tau}\tau - \frac{y_\tau}{\sqrt{2}} h (\tau_L^\dagger (\cos \Delta + i \sin \Delta) \tau_R \\ &\quad + \text{c.c.}),\end{aligned}$$

- $\Delta = 0$  is SM (CP-even)
- $\Delta = \pi/2$  is CP-odd (and CP conserving)
- $\Delta = \pm\pi/4$  is maximally CP-violating
- $\Delta$  is currently unconstrained

# Extracting the phase in Higgs decays

- Need a tau decay that preserves polarization information
  - Some information always lost in escaping neutrinos
  - Use decay via the  $\rho^\pm$  vector meson (Br = 26%)

$$\begin{aligned} h &\longrightarrow \tau^- \tau^+ \\ &\longrightarrow \rho^- \nu_\tau \rho^+ \bar{\nu}_\tau \\ &\longrightarrow \pi^- \pi^0 \nu_\tau \pi^+ \pi^0 \bar{\nu}_\tau . \end{aligned}$$



# Matrix element calculation

- Will trace how  $\Delta$  appears in the squared matrix element by treating the Higgs decay as a sequence of on-shell 2-body decays

$$\mathcal{M}_{h \rightarrow \tau\tau} \propto \sum_{s,s'} \chi_{s,s'} \bar{u}_{\tau-}^s (\cos \Delta + i\gamma_5 \sin \Delta) v_{\tau+}^{s'}$$

$$\mathcal{M}_{\tau \rightarrow \rho\nu} \propto (\epsilon_{\rho-}^*)_{\mu} \bar{u}_{\nu\tau} \gamma^{\mu} P_L u_{\tau-}$$

$$\mathcal{M}_{\rho \rightarrow \pi\pi} \propto \epsilon_{\rho-} \cdot (p_{\pi-} - p_{\pi^0})$$

- Together, gives

$$\begin{aligned} \mathcal{M}_{\text{full}} \propto & \bar{u}_{\nu-} (\not{p}_{\pi-} - \not{p}_{\pi^0-}) P_L (\not{p}_{\tau-} + m_{\tau}) \\ & \times (\cos \Delta + i\gamma_5 \sin \Delta) \\ & \times (-\not{p}_{\tau+} + m_{\tau}) (\not{p}_{\pi+} - \not{p}_{\pi^0+}) P_L v_{\nu+} \end{aligned}$$

# Matrix element calculation assumptions

$$\begin{aligned}\mathcal{M}_{\text{full}} \propto & \bar{u}_{\nu-} (\not{p}_{\pi-} - \not{p}_{\pi^0-}) P_L (\not{p}_{\tau-} + m_\tau) \\ & \times (\cos \Delta + i\gamma_5 \sin \Delta) \\ & \times (-\not{p}_{\tau+} + m_\tau) (\not{p}_{\pi+} - \not{p}_{\pi^0+}) P_L v_{\nu+}\end{aligned}$$

- Neglect  $\pi^0$  exchange (spatially separated; the  $\tau$ 's are boosted and back-to-back in the Higgs rest frame)
- All intermediate particles assumed on-shell
- Neglect  $\pi^\pm - \pi^0$  mass difference

- Obtain  $\mathcal{M}_{\text{full}} \propto \bar{u}_{\nu-} \not{q}_- (e^{i\Delta} \not{p}_{\tau-} - e^{-i\Delta} \not{p}_{\tau+}) \not{q}_+ P_L v_{\nu+}$   
with  $q_\pm \equiv p_{\pi^\pm} - p_{\pi^0\pm}$

# Calculating the Theta Variable

- Introduce the variable  $k_{\pm}^{\mu} \equiv y_{\pm} q_{\pm}^{\mu} + r p_{\nu\pm}^{\mu}$  with coefficients

$$y_{\pm} \equiv \frac{2q_{\pm} \cdot p_{\tau\pm}}{m_{\tau}^2 + m_{\rho}^2} = \frac{q_{\pm} \cdot p_{\tau\pm}}{p_{\rho\pm} \cdot p_{\tau\pm}},$$
$$r \equiv \frac{m_{\rho}^2 - 4m_{\pi}^2}{m_{\tau}^2 + m_{\rho}^2} \approx 0.14.$$

- We then write the squared matrix element as

$$|\mathcal{M}|^2 \propto P_{\Delta, S} + P_{\Delta, \not{S}} + P_{\Delta, S} + P_{\Delta, S}^*$$

where the most interesting piece is

$$P_{\Delta, S} \equiv -e^{2i\Delta} \left[ (k_{-} \cdot p_{\tau+})(k_{+} \cdot p_{\tau-}) - (p_{\tau-} \cdot p_{\tau+})(k_{-} \cdot k_{+}) - i\epsilon_{\mu\nu\rho\sigma} k_{-}^{\mu} p_{\tau-}^{\nu} k_{+}^{\rho} p_{\tau+}^{\sigma} \right]. \quad (26)$$

# Calculating the Theta Variable

$$P_{\Delta, S} \equiv -e^{2i\Delta} [(k_- \cdot p_{\tau+})(k_+ \cdot p_{\tau-}) - (p_{\tau-} \cdot p_{\tau+})(k_- \cdot k_+) - i\epsilon_{\mu\nu\rho\sigma} k_-^\mu p_{\tau-}^\nu k_+^\rho p_{\tau+}^\sigma]. \quad (26)$$

- We can define an antisymmetric 2<sup>nd</sup>-rank tensor

$$F_{\pm}^{\mu\nu} \equiv k_{\pm}^{\mu} p_{\tau\pm}^{\nu} - k_{\pm}^{\nu} p_{\tau\pm}^{\mu} = -F_{\pm}^{\nu\mu}$$

$$P_{\Delta, S} = e^{2i\Delta} \left( \frac{1}{2} F_{-\mu\nu} F_{+}^{\mu\nu} + \frac{i}{4} \epsilon_{\mu\nu\rho\sigma} F_{-}^{\mu\nu} F_{+}^{\rho\sigma} \right)$$

- Or, even better, identify “electric” and “magnetic” components

$$E_{\pm}^i \equiv F_{\pm}^{i0}, \quad B_{\pm}^i \equiv -\frac{1}{2} \epsilon^{ijk} F_{\pm}^{jk}$$

$$P_{\Delta, S} = -e^{2i\Delta} [(\vec{E}_{-} + i\vec{B}_{-}) \cdot (\vec{E}_{+} + i\vec{B}_{+})]$$

# Calculating the Theta Variable

$$F_{\pm}^{\mu\nu} \equiv k_{\pm}^{\mu} p_{\tau\pm}^{\nu} - k_{\pm}^{\nu} p_{\tau\pm}^{\mu} = -F_{\pm}^{\nu\mu}$$

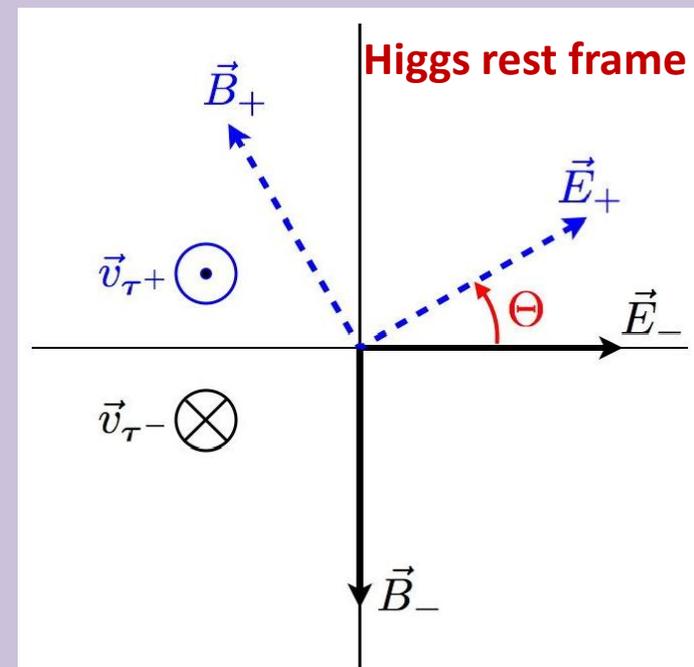
- We can calculate

$$\vec{B}_{\pm} = \vec{p}_{\tau\pm} \times \vec{k}_{\pm} = \vec{v}_{\tau\pm} \times \vec{E}_{\pm}$$

- Specialize to Higgs rest frame (back-to-back taus)
  - $E_+ B_+$  and  $E_- B_-$  planes are parallel
  - Motivate a new acoplanarity between  $E_+ v_+$  and  $E_- v_-$  planes

$$\Theta = \text{sgn} \left[ \vec{v}_{\tau+} \cdot (\vec{E}_- \times \vec{E}_+) \right] \text{Arccos} \left[ \frac{\vec{E}_+ \cdot \vec{E}_-}{|\vec{E}_+| |\vec{E}_-|} \right]$$

$$P_{\Delta, S} = -2e^{i(2\Delta - \Theta)} |\vec{E}_+| |\vec{E}_-|$$



# Calculating the Theta Variable

$$\Theta = \text{sgn} \left[ \vec{v}_{\tau+} \cdot (\vec{E}_- \times \vec{E}_+) \right] \text{Arccos} \left[ \frac{\vec{E}_+ \cdot \vec{E}_-}{|\vec{E}_+| |\vec{E}_-|} \right]$$

$$P_{\Delta, S} = -2e^{i(2\Delta - \Theta)} |\vec{E}_+| |\vec{E}_-|$$

- In the Higgs rest frame, the “electric” components are

$$\vec{E}_{\pm} = \frac{m_h}{2} \left[ (y_{\pm} - r) \vec{p}_{\pi^{\pm}}|_0 - (y_{\pm} + r) \vec{p}_{\pi^0 \pm}|_0 \right]^{\perp}$$

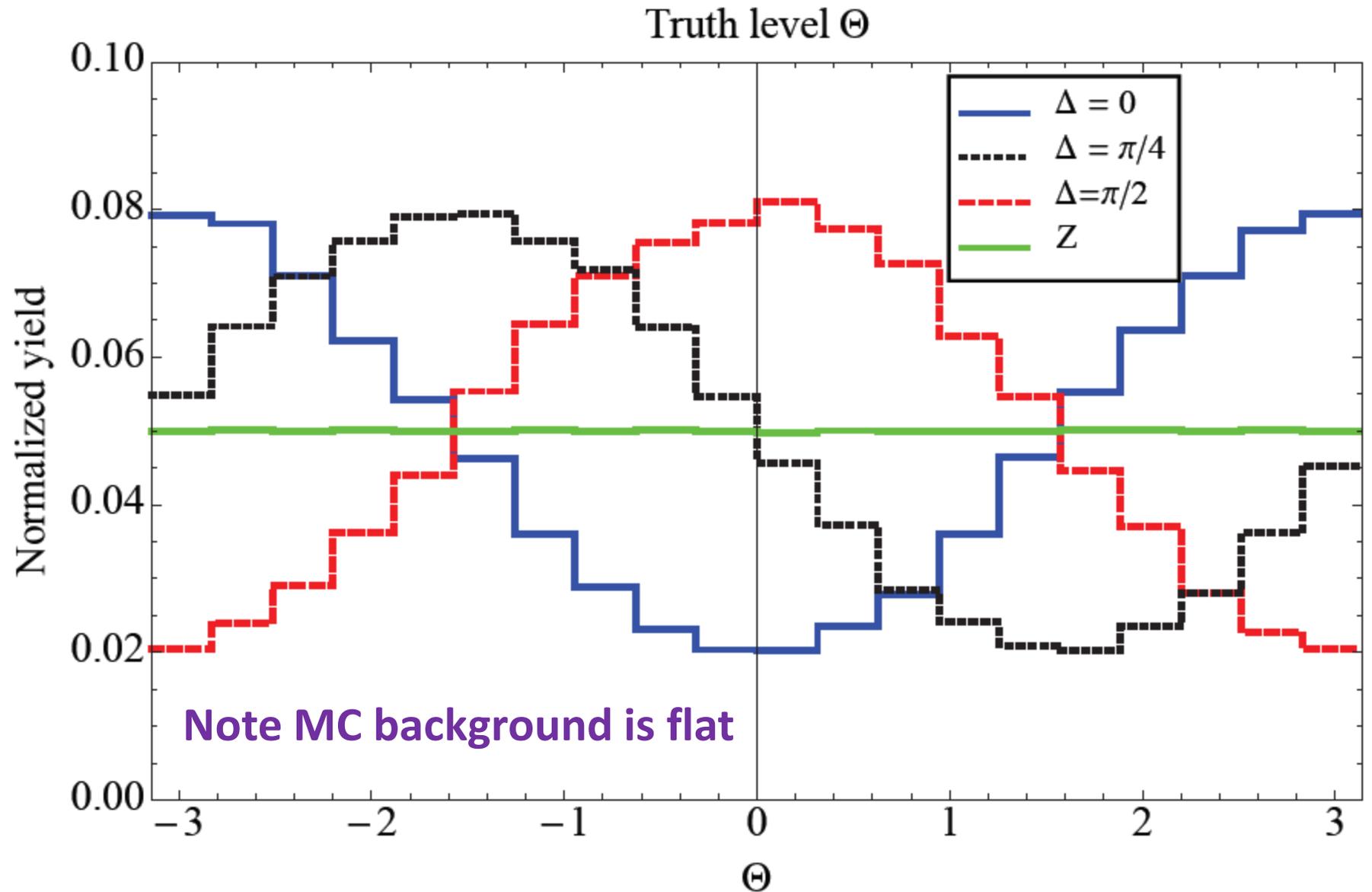
$|_0$  = tau rest frame

- If neutrinos were measured, we would have complete information to reconstruct tau momentum, tau and Higgs rest frames

$$y_{\pm} \equiv \frac{2q_{\pm} \cdot p_{\tau^{\pm}}}{m_{\tau}^2 + m_{\rho}^2} = \frac{q_{\pm} \cdot p_{\tau^{\pm}}}{p_{\rho^{\pm}} \cdot p_{\tau^{\pm}}},$$

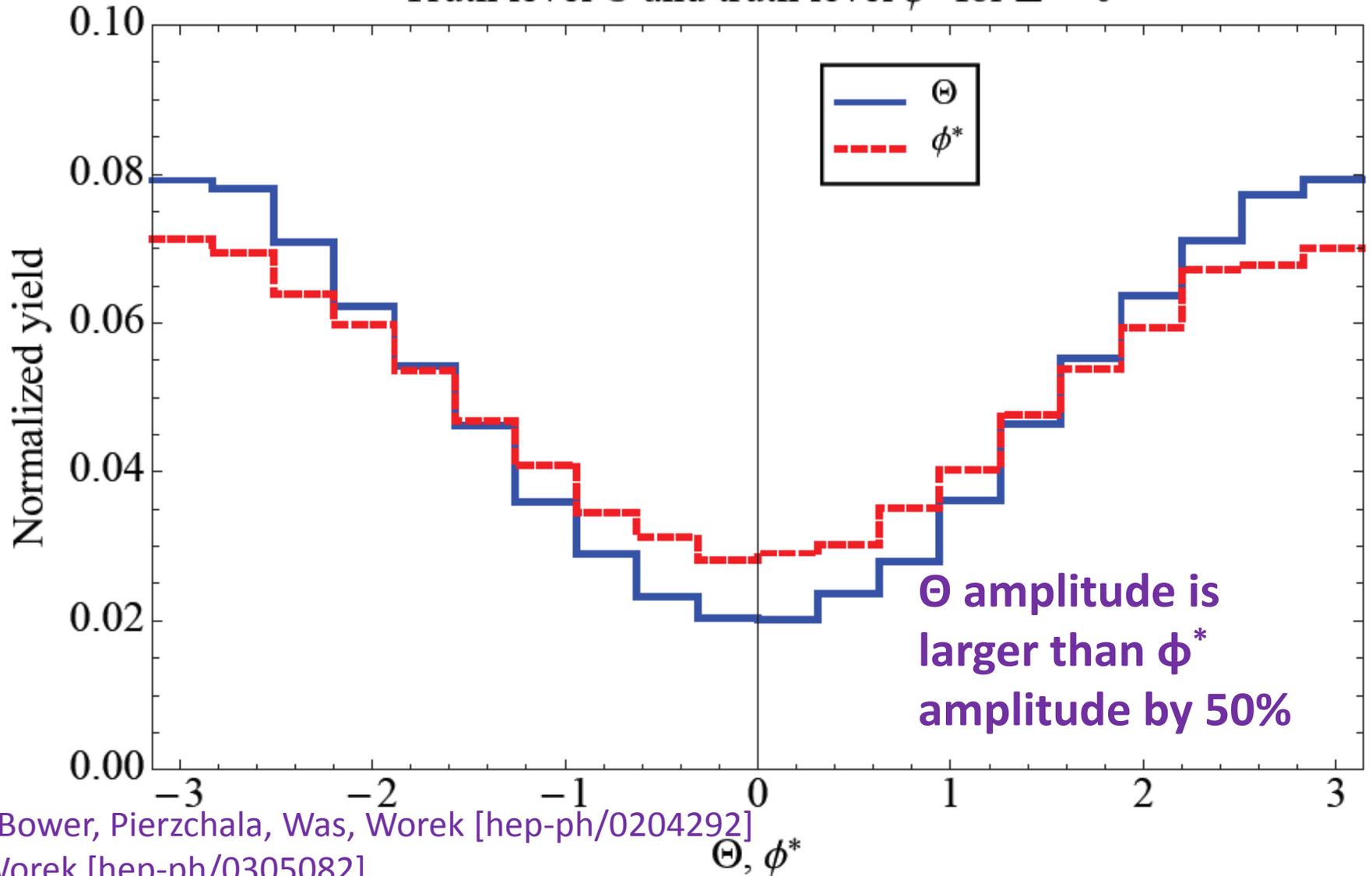
$$r \equiv \frac{m_{\rho}^2 - 4m_{\pi}^2}{m_{\tau}^2 + m_{\rho}^2} \approx 0.14.$$

# Ideal situation



# Ideal – compare $\rho^+\rho^-$ acoplanarity\*

Truth level  $\Theta$  and truth level  $\phi^*$  for  $\Delta = 0$

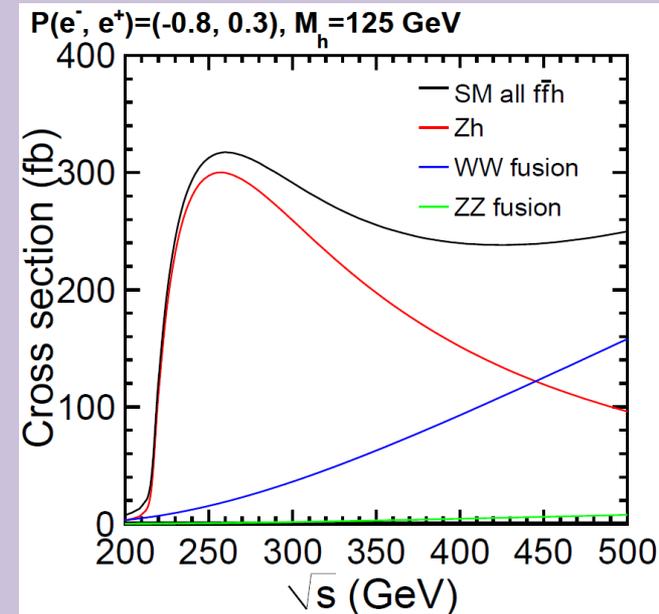


\*Bower, Pierzchala, Was, Worek [hep-ph/0204292]

Worek [hep-ph/0305082]

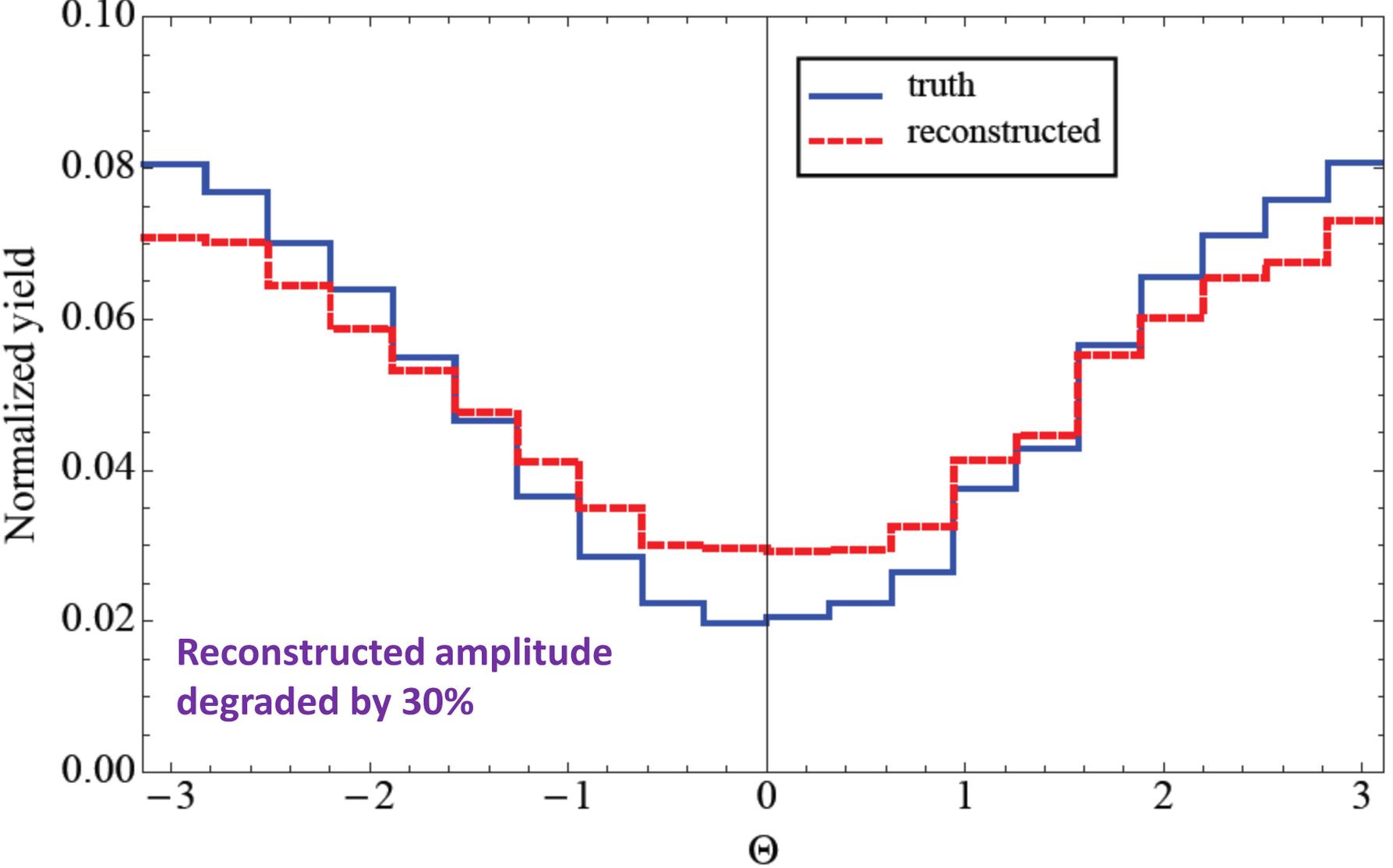
# Lepton collider possibilities

- We obviously cannot directly measure neutrino momenta
- At a lepton collider, have enough constraints to solve algebraically for neutrino momenta
  - Have two neutrino momenta solution sets
    - Necessarily require visible Z decay
    - Both solutions give correct Higgs mass
    - Weight each solution by half an event

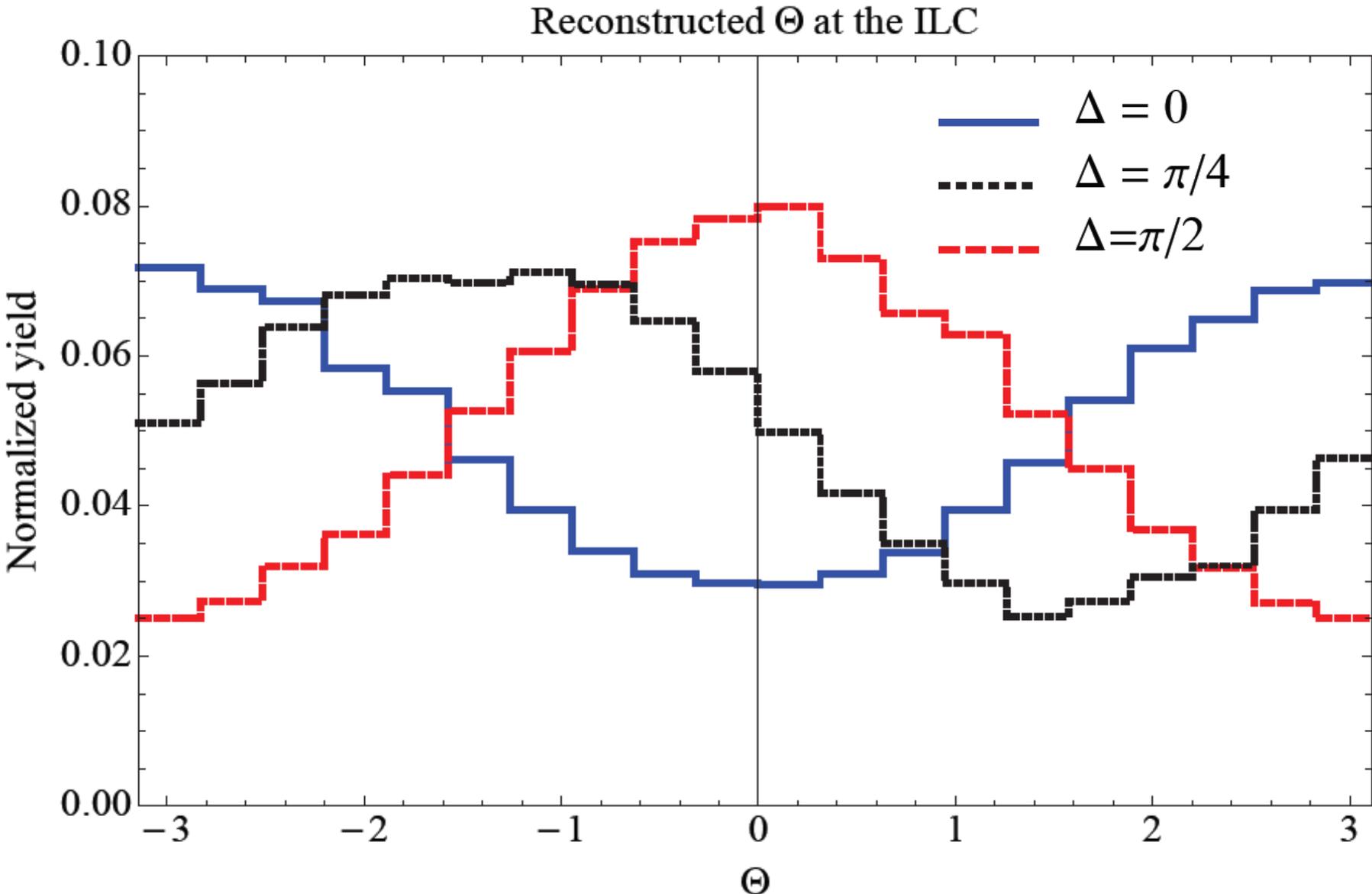


# Lepton collider – reconstructed

Truth level  $\Theta$  and reconstructed  $\Theta$  at the ILC for  $\Delta = 0$



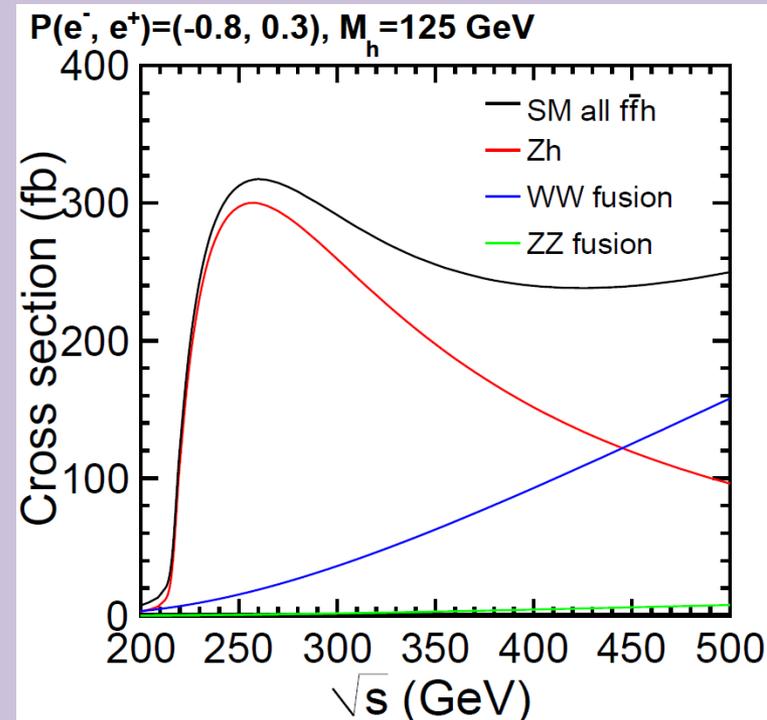
# Lepton collider – reconstructed



# Lepton collider possibilities

- For  $\sqrt{s} = 250$  GeV ILC, polarized beams, Zh production is about 0.30 pb
- Signal yield (using SM Higgs to taus decay width and restricting to visible Z decays) is 990 events with  $1 \text{ ab}^{-1}$  luminosity

$\sigma_{e^+e^- \rightarrow hZ}$	0.30 pb
$\text{Br}(h \rightarrow \tau^+ \tau^-)$	6.1%
$\text{Br}(\tau^- \rightarrow \pi^- \pi^0 \nu)$	26%
$\text{Br}(Z \rightarrow \text{visibles})$	80%
$N_{\text{events}}$	990



# Lepton collider possibilities

- For  $\sqrt{s} = 250$  GeV ILC, polarized beams, Zh production is about 0.30 pb
  - Signal yield (using SM Higgs to taus decay width and restricting to visible Z decays) is 990 events with  $1 \text{ ab}^{-1}$
  - Construct binned likelihood using a sinusoidal fit to signal, determine sensitivity by variation of test  $\Delta$

With  $1 \text{ ab}^{-1}$  of ILC  $\sqrt{s}=250$  GeV, expect  $1\sigma$  discrimination of  $4.4^\circ$  (compared\* to  $6^\circ$  using  $\phi^*$  [albeit included backgrounds and detector effects])

$$L = \frac{\prod_{i=1}^N \text{Pois}(B_i + S_i^{\Delta=0} | B_i + S_i^{\Delta=\delta})}{\prod_{i=1}^N \text{Pois}(B_i + S_i^{\Delta=0} | B_i + S_i^{\Delta=0})}$$

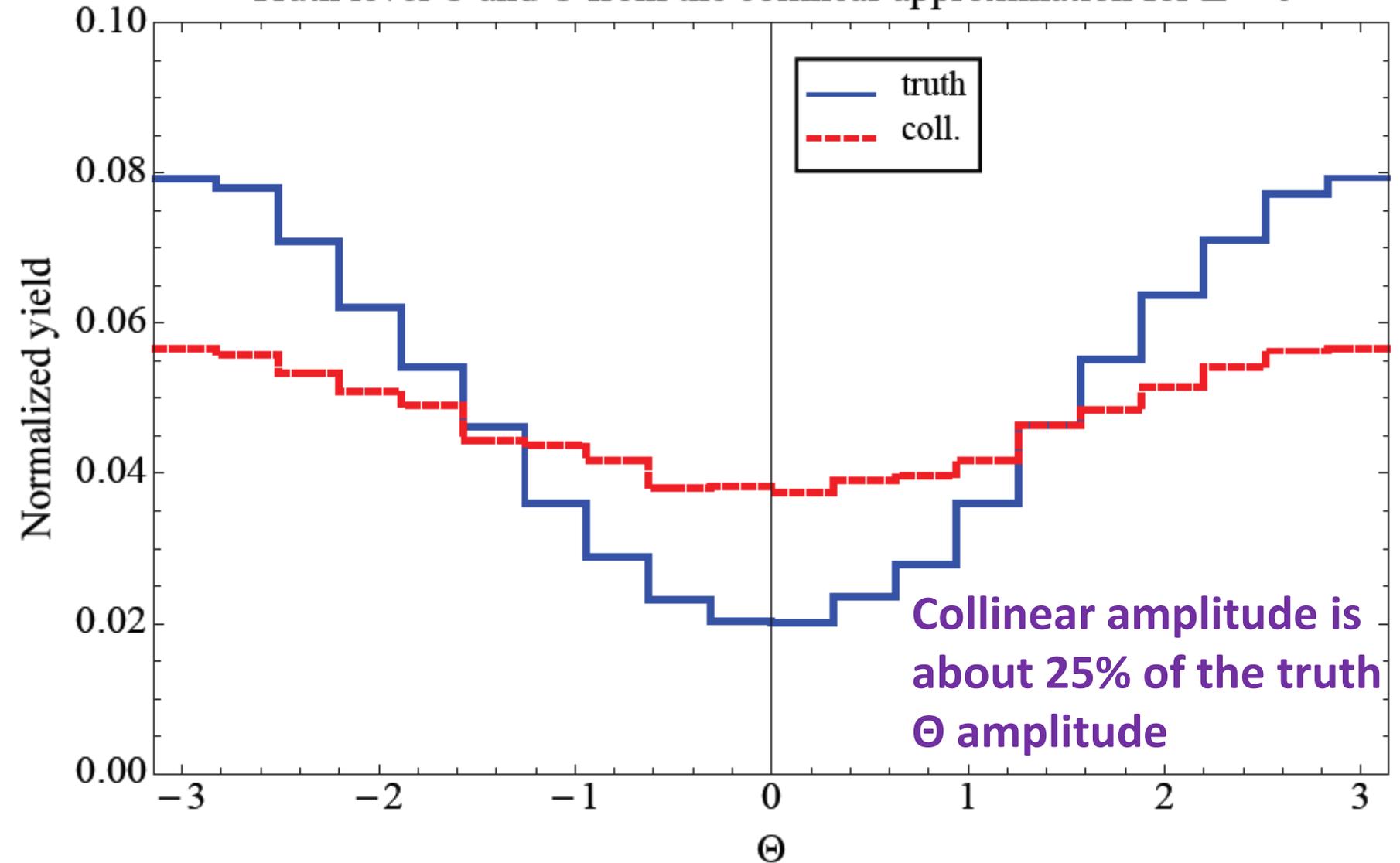
\*Desch, Imhof, Was, Worek [hep-ph/0307331]

# LHC prospects

- Can also study this phase at the LHC
  - Consider h+j events (can also consider VBF production)
  - Will use collinear approximation for neutrino momenta
    - In this approximation,  $\Theta$  is identical to  $\phi^*$
  - First proposal to measure  $\Delta$  at the LHC with prompt tau decays and kinematics

# LHC prospects

Truth level  $\Theta$  and  $\Theta$  from the collinear approximation for  $\Delta = 0$



# Signal and background generation

- Use MadGraph5 for h+j and Z+j events at LHC14
  - Mimic cuts for 1-jet, hadronic taus Higgs search category
  - Impose preselection of  $p_T(j) > 140$  GeV,  $|\eta(j)| < 2.5$
  - Normalize to MCFM NLO  $\sigma(h+j)=2.0$  pb,  $\sigma(Z+j)=420$  pb
  - No pileup or detector simulation, aside from tau-tagging efficiencies
    - Pileup degrades primary vertex determination for charged pion tracks and adds ECAL deposits that reduce neutral pion resolution
    - Tracking and detector resolution will clearly smear the  $\Theta$  distribution

# Yields for 3 ab<sup>-1</sup> LHC

- Signal region: MET > 40 GeV, p<sub>T</sub>(ρ) > 45 GeV, |η(ρ)| < 2.1, m<sub>coll</sub> > 120 GeV
  - Inject an additional 10% contribution to (flat) Zj background to account for QCD multijets

	<i>h j</i>	<i>Z j</i>
Inclusive σ	2.0 pb	420 pb
Br(τ <sup>+</sup> τ <sup>-</sup> decay)	6.1%	3.4%
Br(τ <sup>-</sup> → π <sup>-</sup> π <sup>0</sup> ν)	26%	26%
Cut efficiency	18%	0.24%
N <sub>events</sub>	1100	1800

# Yields for 3 ab<sup>-1</sup> LHC

- Consider  $\tau$  tagging efficiency benchmarks of 50% and 70%, use similar likelihood analysis as before

$\tau_h$ efficiency	50%	70%
$3\sigma$	$L = 550 \text{ fb}^{-1}$	$L = 300 \text{ fb}^{-1}$
$5\sigma$	$L = 1500 \text{ fb}^{-1}$	$L = 700 \text{ fb}^{-1}$
Accuracy( $L = 3 \text{ ab}^{-1}$ )	11.5°	8.0°

- Discriminating pure scalar vs. pure pseudoscalar at **3 $\sigma$**  requires 550 (300) fb<sup>-1</sup> with 50% (70%)  $\tau$  tagging efficiency
- For **5 $\sigma$** , require 1500 (700) fb<sup>-1</sup> with 50% (70%)  $\tau$  tagging efficiency
- Again, detector effects and pileup are neglected

# Improving the measurement of the tau

## Yukawa CP phase

- Consider including MET information for LHC analyses
  - *e.g.* MELA-type likelihood incorporating signal hypotheses with different  $\Delta$
- Consider other tau decay modes
- Improve tau tagging efficiency
- Add decay vertex information
- Consider VBF production

# Summary

- New CP phases are motivated from general baryogenesis arguments
- Have a new suite of measurements to perform in Higgs physics
  - Fermionic CP phases play a special role
  - Look forward to discussion with experimentalists to implement this analysis in future Higgs studies

$\sigma_{e^+e^- \rightarrow hZ}$	0.30 pb
$\text{Br}(h \rightarrow \tau^+\tau^-)$	6.1%
$\text{Br}(\tau^- \rightarrow \pi^-\pi^0\nu)$	26%
$\text{Br}(Z \rightarrow \text{visibles})$	80%
$N_{\text{events}}$	990
Accuracy	4.4°

ILC, 250 GeV, 1 ab<sup>-1</sup>

LHC, 14 TeV

$\tau_h$ efficiency	50%	70%
3 $\sigma$	$L = 550 \text{ fb}^{-1}$	$L = 300 \text{ fb}^{-1}$
5 $\sigma$	$L = 1500 \text{ fb}^{-1}$	$L = 700 \text{ fb}^{-1}$
Accuracy( $L = 3 \text{ ab}^{-1}$ )	11.5°	8.0°



# UV completion

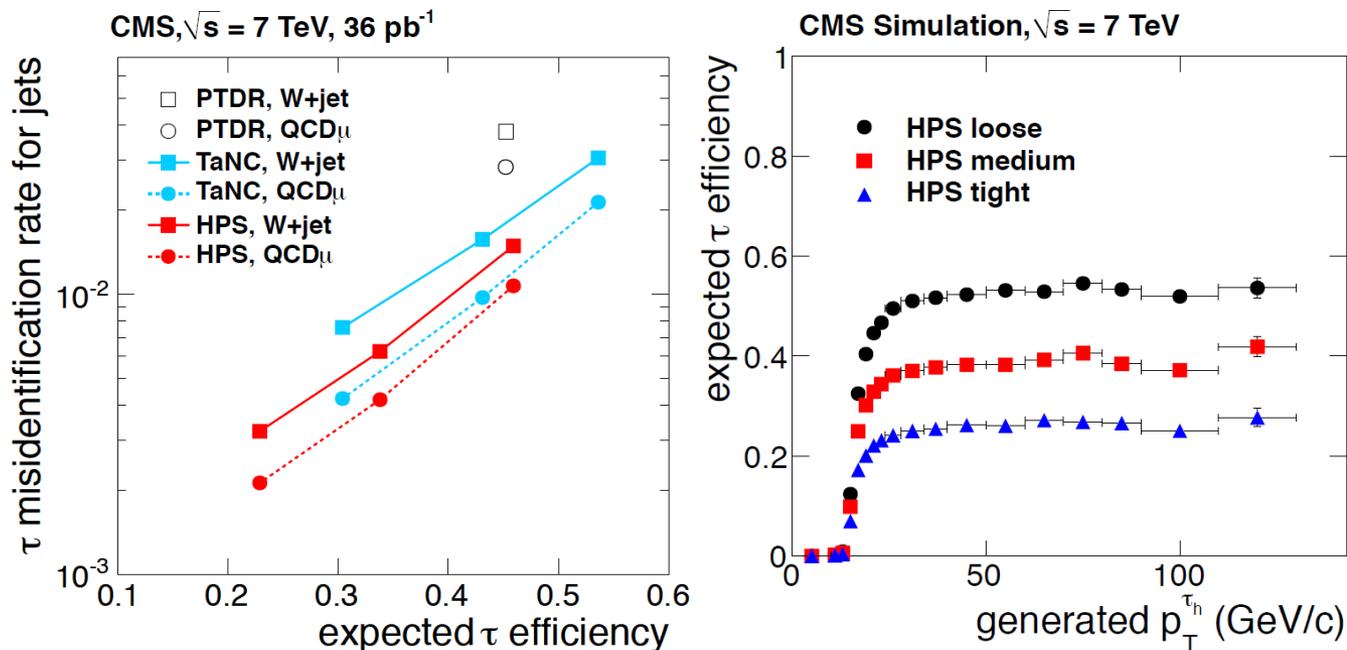
$$\begin{aligned}\mathcal{L}_{\text{tree}} &= \mathcal{L}_{\text{SM}-y_\tau} \\ &+ |\mathbf{D}\Phi|^2 - m_\Phi^2 |\Phi|^2 - \lambda_\Phi |\Phi|^4 \\ &- (yH\ell_{3\text{L}}^\dagger \tau_{\text{R}} + y'\Phi\ell_{3\text{L}}^\dagger \tau_{\text{R}} + \lambda'(\Phi^\dagger H)|H|^2 + \text{c.c.}),\end{aligned}\tag{A1}$$

$$\mathcal{L}_{\text{dim-6}} = \frac{|\lambda'|^2}{m_\Phi^2} |H|^6 + \left( \frac{\lambda' y'}{m_\Phi^2} |H|^2 H\ell_{3\text{L}}^\dagger \tau_{\text{R}} + \text{c.c.} \right).$$

# Tau measurement details

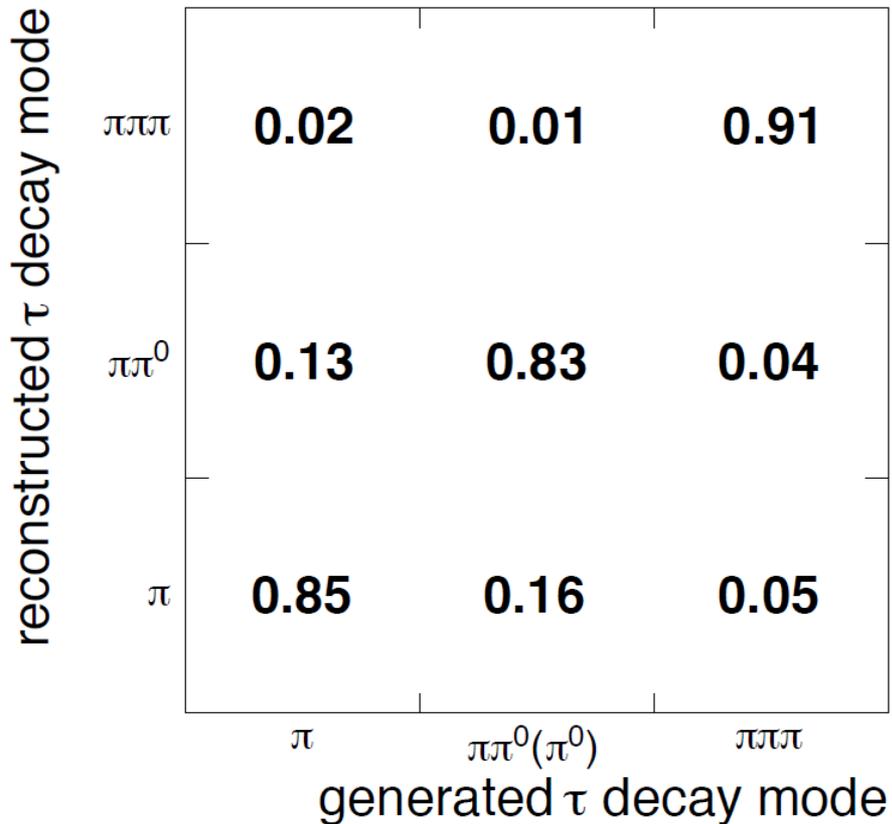
**Table 1.** Branching fractions of the dominant hadronic decays of the  $\tau$  lepton and the symbol and mass of any intermediate resonance [9]. The  $h$  stands for both  $\pi$  and  $K$ , but in this analysis the  $\pi$  mass is assigned to all charged particles. The table is symmetric under charge conjugation.

Decay mode	Resonance	Mass (MeV/c <sup>2</sup> )	Branching fraction (%)
$\tau^- \rightarrow h^- \nu_\tau$			11.6%
$\tau^- \rightarrow h^- \pi^0 \nu_\tau$	$\rho^-$	770	26.0%
$\tau^- \rightarrow h^- \pi^0 \pi^0 \nu_\tau$	$a_1^-$	1200	9.5%
$\tau^- \rightarrow h^- h^+ h^- \nu_\tau$	$a_1^-$	1200	9.8%
$\tau^- \rightarrow h^- h^+ h^- \pi^0 \nu_\tau$			4.8%

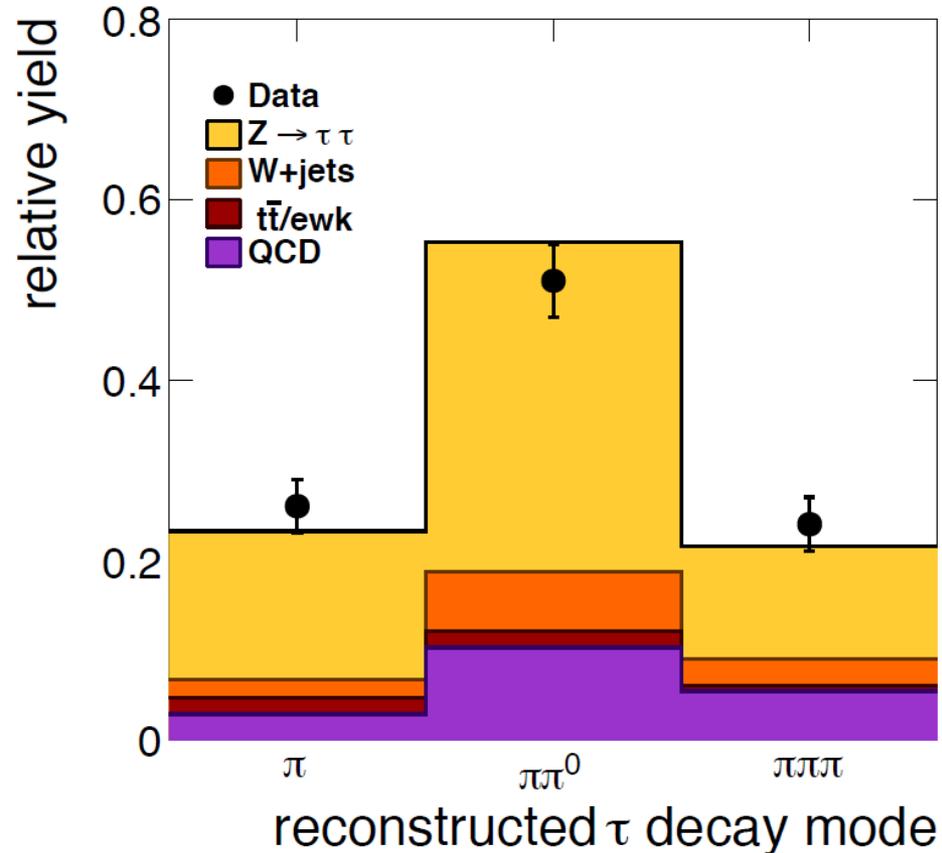


# Tau measurement details

CMS Simulation,  $\sqrt{s} = 7$  TeV



CMS,  $\sqrt{s} = 7$  TeV,  $36 \text{ pb}^{-1}$



# Tau measurement details

**Table 4.** The MC predicted  $\tau_h$  misidentification rates and the measured data-to-MC ratios, integrated over the  $p_T$  and  $\eta$  phase space typical for the  $Z \rightarrow \tau\tau$  analysis.

Algorithm	QCD		QCD $\mu$		W + jets	
	MC (%)	Data/MC	MC (%)	Data/MC	MC (%)	Data/MC
HPS “loose”	1.0	$1.00 \pm 0.04$	1.0	$1.07 \pm 0.01$	1.5	$0.99 \pm 0.04$
HPS “medium”	0.4	$1.02 \pm 0.06$	0.4	$1.05 \pm 0.02$	0.6	$1.04 \pm 0.06$
HPS “tight”	0.2	$0.94 \pm 0.09$	0.2	$1.06 \pm 0.02$	0.3	$1.08 \pm 0.09$
TaNC “loose”	2.1	$1.05 \pm 0.04$	1.9	$1.12 \pm 0.01$	3.0	$1.02 \pm 0.05$
TaNC “medium”	1.3	$1.05 \pm 0.05$	0.9	$1.08 \pm 0.02$	1.6	$0.98 \pm 0.07$
TaNC “tight”	0.5	$0.98 \pm 0.07$	0.4	$1.06 \pm 0.02$	0.8	$0.95 \pm 0.09$